

P8 Describing motion along a line

Lessons TBAT	Key Knowledge	Practical	Assessment
<p>Calculate speed and velocity</p> <p>Evaluate and produce distance-time graphs</p> <p>Investigate acceleration</p> <p>Explain terminal velocity</p>	<p>6.5.4.1 Describing motion along a line</p> <p>6.5.4.1.1 Distance and displacement</p> <p>Distance is how far an object moves. Distance does not involve direction. Distance is a scalar quantity.</p> <p>Displacement includes both the distance an object moves, measured in a straight line from the start point to the finish point and the direction of that straight line. Displacement is a vector quantity.</p> <p>Students should be able to express a displacement in terms of both the magnitude and direction</p> <p>6.5.4.1.2 Speed</p> <p>Speed does not involve direction. Speed is a scalar quantity.</p> <p>The speed of a moving object is rarely constant. When people walk, run or travel in a car their speed is constantly changing.</p>		<p>Formal Assessment at the end of the unit</p> <hr/> <p>Maths focus Students should be able to recognise expressions given in standard form.</p>

	<p>The speed at which a person can walk, run or cycle depends on many factors including: age, terrain, fitness and distance travelled.</p> <p>Typical values may be taken as: walking- 1.5 m/s running- 3 m/s cycling- 6 m/s.</p> <p>Students should be able to recall typical values of speed for a person walking, running and cycling as well as the typical values of speed for different types of transportation systems.</p> <p>It is not only moving objects that have varying speed.</p> <p>The speed of sound and the speed of the wind also vary.</p> <p>A typical value for the speed of sound in air is 330 m/s.</p> <p>Students should be able to make measurements of distance and time and then calculate speeds of objects.</p> <p>For an object moving at constant speed the distance travelled in a specific time can be calculated using the equation:</p> <p>distance travelled = speed \times time $s = v t$ distance, s, in metres, m speed, v, in metres per second, m/s time, t, in seconds, s</p> <p>Students should be able to calculate average speed for non-uniform motion</p> <p>6.5.4.1.3 Velocity</p>	<p>Key stage 3</p> <p>Motion and forces Describing motion speed and the quantitative relationship between average speed, distance and time (speed = distance \div time) the representation of a journey on a distance-time graph relative motion: trains and cars passing one another</p> <p>Forces forces as pushes or pulls, arising from the interaction between 2 objects using force arrows in diagrams, adding forces in 1 dimension, balanced and unbalanced forces moment as the turning effect of a force forces: associated with deforming objects; stretching and squashing – springs; with rubbing and friction between surfaces, with pushing things out of the way; resistance to motion of air and water forces measured in newtons, measurements of stretch or compression as force is changed force-extension linear relation; Hooke’s Law as a special case work done and energy changes on deformation non-contact forces: gravity forces acting at a distance on Earth and in space, forces between magnets, and forces due to static electricity</p> <p>Pressure in fluids atmospheric pressure, decreases with increase of height as weight of air above decreases with height pressure in liquids, increasing with depth; upthrust effects, floating and sinking</p>
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	<p>The velocity of an object is its speed in a given direction. Velocity is a vector quantity.</p> <p>Students should be able to explain the vector–scalar distinction as it applies to displacement, distance, velocity and speed.</p> <p>(HT only) Students should be able to explain qualitatively, with examples, that motion in a circle involves constant speed but changing velocity</p> <p>6.5.4.1.4 The distance–time relationship</p> <p>If an object moves along a straight line, the distance travelled can be represented by a distance–time graph.</p> <p>The speed of an object can be calculated from the gradient of its distance–time graph.</p> <p>(HT only) If an object is accelerating, its speed at any particular time can be determined by drawing a tangent and measuring the gradient of the distance–time graph at that time.</p> <p>Students should be able to draw distance–time graphs from measurements and extract and interpret lines and slopes of distance–time graphs, translating information between graphical and numerical form.</p> <p>Students should be able to determine speed from a distance–time graph.</p>	<p>pressure measured by ratio of force over area – acting normal to any surface</p> <p>Balanced forces</p> <p>opposing forces and equilibrium: weight held by stretched spring or supported on a compressed surface</p> <p>Forces and motion</p> <p>forces being needed to cause objects to stop or start moving, or to change their speed or direction of motion (qualitative only)</p> <p>change depending on direction of force and its size</p>
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6.5.4.1.5 Acceleration

The average acceleration of an object can be calculated using the equation:

acceleration = change in velocity / time taken $a = \frac{\Delta v}{t}$ acceleration, a , in metres per second squared, m/s^2 change in velocity, Δv , in metres per second, m/s time, t , in seconds, s An object that slows down is decelerating.

Students should be able to estimate the magnitude of everyday accelerations

The acceleration of an object can be calculated from the gradient of a velocity–time graph.

(HT only) The distance travelled by an object (or displacement of an object) can be calculated from the area under a velocity–time graph.

Students should be able to:

- draw velocity–time graphs from measurements and interpret lines and slopes to determine acceleration
- (HT only) interpret enclosed areas in velocity–time graphs to determine distance travelled (or displacement)
- (HT only) measure, when appropriate, the area under a velocity–time graph by counting squares.

The following equation applies to uniform acceleration: final velocity v^2 – initial velocity $u^2 = 2 \times \text{acceleration} \times \text{distance}$ $v^2 - u^2 = 2 a s$ final velocity, v , in metres per second, m/s initial velocity, u , in metres per second, m/s acceleration, a , in metres per second squared, m/s^2

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distance, s , in metres, m Near the Earth's surface any object falling freely under gravity has an acceleration of about 9.8 m/s^2 .

An object falling through a fluid initially accelerates due to the force of gravity. Eventually the resultant force will be zero and the object will move at its terminal velocity.

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